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Lecture 24

Natural monopolies & regulation



Industrial
Economics

Market failure

- ★ **Allocative** efficiency failure
MB ≠ MC, due to externalities, market power
- ★ **Rationing** efficiency failure
allocation fails to coincide with the ranking of reservation prices
- ★ **Cost** efficiency failure
output is not produced at min *opportunity cost*, $AC > MES$
- ★ **Product selection** failure
selection of products does not maximize consumer utility
- ★ Failure to achieve **optimal investment**
due to *specificity* or *information* asymmetry.

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Regulation

- ★ Regulation is a **response** to market failure
 - ◆ Direct government intervention to change *market outcomes* (prices, quality, product variety)
 - ◆ Changing market institutions to affect *market concentration*
- ★ Intervention may **lead to improvement** in social welfare
winners from regulatory intervention could *compensate* the losers and still be winners.

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Regulation in practice

- ★ Regulation is **designed** in three acts
 1. **Identification** of the failure
 2. **Assessment** of feasibility of intervention
 3. **Cost – benefit analysis** of the effects / sideeffects
- ★ The usual **market failure suspects** that justify price and entry regulation are
 - ◆ Natural monopoly
 - ◆ Large sunk/specific investments
- ★ **Examples** of markets with varying degrees of regulation
electricity, telecommunications, airlines, railroads, water, hydrocarbon pipelines.

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Natural monopoly

- ★ We have a **natural monopoly** when
the existence of more than one firms increases cost disproportionately to the social benefit
- ★ This happens when **D intersects** with AC curve **before or slightly after** the MES
- ★ In this case, competition may not be **sustainable**, even if the market **initially** has many firms
firms would **merge or exit** until the remaining firms had enough market power to raise price at least up to AC
- ★ In some natural monopolies **barriers** to entry are **endogenous** – in some **others** they are **not**.

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Natural monopoly

Cost subadditivity

- ★ A **cost function** is subadditive at an output level iff

$$C\left(\sum_{i=1}^N q_i\right) < \sum_{i=1}^N C(q_i), \quad \text{for } N > 1$$

cost functions are subadditive in the range of **economies of scale**
- ★ Subadditivity **continues** for some range after the range of economies of scale
 - ◆ **With one firm:** $C(q_{MES} + \epsilon)$
 - ◆ **With two firms:** $C((q_{MES} + \epsilon)/2)$ per firm
 - ◆ **It can be:** $C(q_{MES} + \epsilon) < 2C((q_{MES} + \epsilon)/2)$
- ★ Natural monopoly **requires** subadditivity.

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Natural monopoly

Pricing for efficiency

- ★ Pricing at MC by a natural monopolist can be unprofitable, but need not be
- ★ With D1, economies of scale are **not exhausted** thus, marginal cost pricing will be **unprofitable**
- ★ With D2 economies of scale are **exhausted**, but the industry is still a natural monopoly pricing at marginal cost will be **profitable**.

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Natural monopoly

Pricing for sustainability

- ★ Pricing at AC allows the monopoly to **break even**
- ★ At either D1 or D2 the monopoly can be **sustained with no outside funding**
- ★ However, the two cases C and D have **substantial differences** concerning the **barriers to entry**.

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Natural monopoly

Strong natural monopoly

- ★ With D1, pricing at C, potential entrants will have **high costs** and run **losses** monopoly is **stable** and **breaks even**
- ★ This is a **strong natural monopoly** does **not need protection** from entry under either sustainability pricing (C) or efficiency pricing (A) – barriers are **endogenous**
- ★ **Example:** Routes to remote areas by public airlines.

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Natural monopoly

Weak natural monopoly

- ★ With D2, pricing at D, entry will allow for **cost savings**
- ★ Entrants can **undercut**
- ★ This is a **weak natural monopoly** **cannot be sustainable** on its own – needs **regulated barriers** no matter if pricing targets for sustainability (D) or efficiency (B)
- ★ **Entry** is profitable but **socially suboptimal**
- ★ **Example:** Oil industry in some countries.

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Natural monopoly and regulation

- ★ Regulation cannot be **perfect**
 1. Efficiency may require **reallocation** of resources **taxpayers** to pay for state monopoly's **deficits**
 2. Sustainability is **not efficient** pricing may be **distant from MC**
 3. Regulators do not have **perfect information** cannot completely **align the objectives** of the firm and society.

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Natural monopoly

Ramsey – Boiteux pricing

- ★ Ramsey pricing is the set of scalar prices that **maximize the total welfare** subject to **profit being zero**

$$\max_{q_1, \dots, q_N} \sum_{n=1}^N \int_0^{q_n} p_n(q_n) dq_n - C(q_1, \dots, q_N)$$

$$s. t. \sum_{n=1}^N p_n(q_n) \cdot q_n - C(q_1, \dots, q_N) = 0$$

sum of profit and consumer surplus

N is the number of markets; $p_n(q_n)$ is the inverse demands

- ★ Ramsey pricing **yields**

$$\frac{p_n - \partial C / \partial q_n}{p_n} = \frac{\lambda}{1 + \lambda} \frac{1}{\varepsilon_n}$$

ε_n is the **elasticity of demand** in market n and λ is the **Lagrange multiplier** of the regulator's problem.

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Specificity

Large specific investments

- ★ Regulation will be the **preferred governance instrument** when there is:
 - uncertainty - information asymmetry - investment specificity*
- ★ Regulation as an **institutional framework** can address **holdup**
 - ◆ Provides a **set of rules** for negotiation and dispute resolution alternative to **contracting**
 - ◆ This **eliminates** the incentive of **renegotiation** and thus alleviates the potential for **opportunistic behavior**

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Specificity

Large specific investments (cont'd)

- ★ Regulation minimizes **transaction costs**
 - ◆ Replaces **private contracting** under uncertainty, complex performance obligations, and sunk expenditures
 - ◆ Relationship between firm and customers is **administered by the regulator**
- ★ Regulation addresses inefficiencies that arise from **underinvestment** in specific assets
 - ◆ Reduces **outside options**: firms enjoy **exclusive rights** in exchange for an **obligation to invest**
 - ◆ Controls **prices**: Circumvents contracting rigidities by allowing **prices to adapt** in volatile circumstances

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Specificity

Regulatory risk

- ★ Initially, a regulator has an incentive to promise that **investing** firms will enjoy **market power**
- ★ Once investment is **sunk**, the regulator has the incentive to regulate **prices to MC** or **allow free entry**
 - the regulator - on behalf of consumers- **expropriates** the firm's capital investment
- ★ The firm can protect itself by **underinvesting**
 - this will result in a **loss of efficiency**
- ★ Alternatively, the firm must be **compensated** for regulatory risk ex ante through a **higher rate of return**
 - this **too**, raises the cost of capital and **reduces efficiency**

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Specificity

Regulatory commitment

- ★ This is a **two-staged** game with dynamic inconsistency
- ★ The **only way** for the regulator to impose the social optimum is to **commit** to not "holdup" firms in this fashion
- ★ Governments have a substantial **long-run incentive** to build **reputations** of committed regulators
 - by **honoring its promise** to not expropriate **today**, the regulator **encourages investment tomorrow**

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Economic Theory of Regulation (1971)

George Stigler in an influential article on regulation observed:

1. There is **demand for regulation**
 - from **groups** who could benefit from its results
2. There is **supply for regulation**
 - politicians have a **monopoly in regulation** and **incentive** from the political process to provide it in **return** for help in attaining and maintaining political power
3. The **benefits are concentrated and significant**, but the **costs are small and diffuse**
 - often, the **benefits to the few are less** than the **costs to the many**

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Full information regulation

- ★ Consider a single-product **monopolist** (F) with **demand** $q(p)$ and a subadditive **cost** function such that

$$p = MC \Rightarrow \Pi < 0$$
- ★ The **regulator** (R) can sustain this monopoly by **setting** $p = MC$ and **subsidize** it by $S = -[MC \cdot q^* - C(q^*)]$
 - where q^* is the output at which $p = MC$
- ★ An alternative way is to set a **2PT**, so the consumers pay an entry fee of S/N and $p = MC$ (N **identical** consumers)
- ★ Suppose now that F can engage in **cost-reducing effort**, e :

$$MC = c_0 - e, \quad \text{where } c_0 \equiv MC(e = 0)$$
 - we also assume a **cost of effort**: $\psi(e)$, $\psi' > 0$ and $\psi'' \geq 0$

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First best regulation: p^*

- ★ What are the **efficient levels** of p and e ?
- ★ We need to assure **allocative efficiency** to maximize the **gains from trade**
- ★ We need to assure **productive efficiency** that F exerts the **cost-minimizing** effort level
- ★ **2 instruments** are required to attain both objectives the regulator can implement a **two-part tariff**, (A, p)
- ★ Clearly, **gains from trade are maximized** when:

$$p^* = c_0 - e$$

First best regulation: A^* and e^*

- ★ The **access fee**, A , is a **subsidy** on the profits of the firm

- ★ **Total costs** are

$$C(q(p^*), e) = (c_0 - e) \cdot q(p^*) + \psi(e)$$

- ★ **Minimizing** total cost with respect to e yields

$$q(p^*) = d\psi(e)/de$$

e^* is **the solution** to the above FOC

- ★ For exerting e^* , F is allowed to recover $\psi(e^*)$, through A

- ★ 2PT: $T(q) = \frac{\psi(e^*)}{N} + (c_0 - e)q$

provided that $\psi(e^*)/N < CS(p = p^*)$, (consumers are priced-in)

Thank you!



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