

## Lecture 3

Market power – part I



microeconomics II  
first module

### Review of PC

#### \* Assumptions

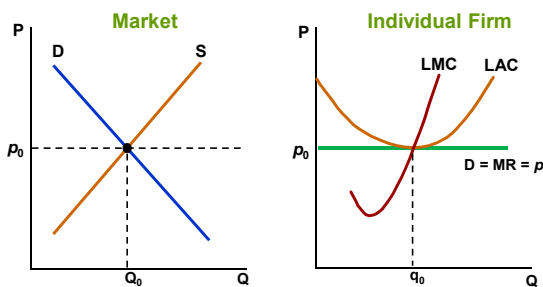
- ◆ Large number of buyers and sellers
- ◆ Homogenous product
- ◆ No barriers

#### \* Zero Market Power

- ◆ Price taking
- ◆  $p = MC$
- ◆ Zero economic profits in the long-run

### L-R equilibrium

Review of PC



### Monopoly

A market is a **pure monopoly** when

1. **One seller** – many buyers
2. **One product** without close substitutes
3. **Barriers** to entry
  - ◆ Patents, copyright, licensing,
  - ◆ Economies of scale, market size,
  - ◆ Access to resources

### Characteristics of monopoly

Monopoly

- \* The monopolist is the **entire supply-side** of the market has **complete control** over the amount offered for sale
- \* Monopolist **sets price** is **not a price-taker** but **must consider** consumer demand
- \* What is the **profit maximization condition** under monopoly?

### Revenue function

Monopoly

#### \* Revenue

$$R = p(q) \cdot q$$

#### \* Average revenue

$$AR = \frac{R}{q} = \frac{p(q) \cdot q}{q} = p(q)$$

price received per unit sold, is the **market demand curve**

#### \* Marginal Revenue

$$MR = \frac{dR}{dq} = \frac{d(p(q) \cdot q)}{dq} = \frac{dp(q)}{dq} \cdot q + p(q)$$

change in revenue resulting from a unit change in output

Monopoly

### MR for linear demand

- ★ Consider a **linear** demand
- ★ Revenue is
 
$$R = q \cdot (a - bq) = aq - bq^2$$
- ★ Then, **marginal revenue** is
 
$$MR = (aq - bq^2)' = a - 2bq$$
- ★ **When** demand is a straight line, then...

$$p = a - bq$$

intercept      slope

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Monopoly

### AR & MR (graph)

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Monopoly

### \*Numerical example

Price	Quantity	R	AR	MR
5	0	0	-	-
4	1	4	4	4
3	2	6	3	2
2	3	6	2	0
1	4	4	1	-2

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Monopoly

### Price and MR

- ★ In PC,
 
$$MR = p$$
- ★ In monopoly,
 
$$MR < p$$
- ★ **Why?**
  - ★ Because in monopoly, you serve the **entire demand**
    - ◆ You cannot sell an extra unit **unless you drop** the price
    - ◆ This was **not the case** in PC
  - ★ You do not drop the price for the **extra unit only** for **all units!**

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Monopoly

### Profit maximization in monopoly

- ★ In monopoly the **revenue** from each extra unit **is not**  $\bar{p}$
- ★ Therefore, the PC maximization condition **does not work**
- ★ Under monopoly, we revert to the **generalized** profit maximization condition
 
$$MR = MC$$

profit maximization implies that equilibrium is at the **intersection** of MR with MC.

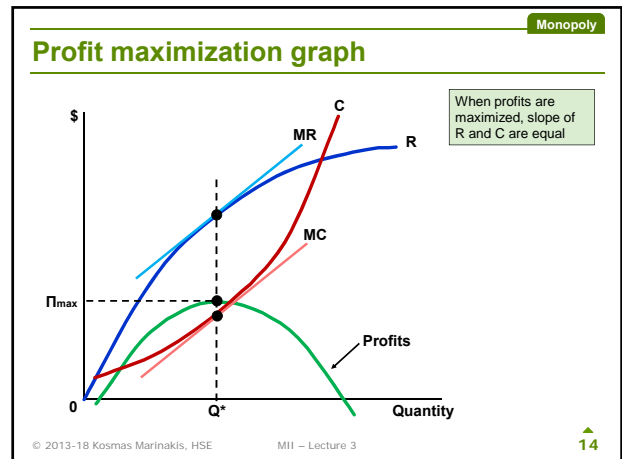
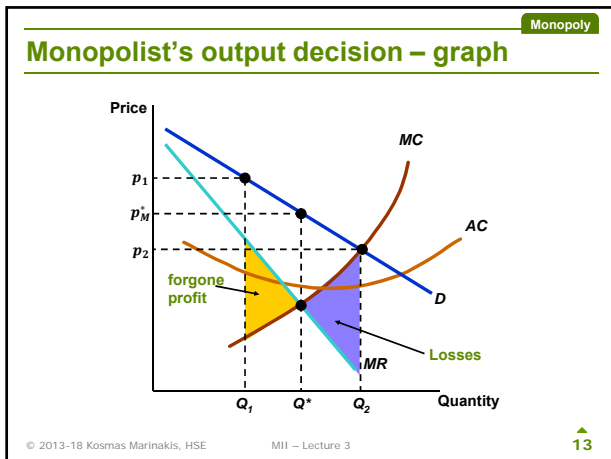
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Monopoly

### Stability of equilibrium

- ★ Assume that  $q_M^*$  is the production level where  $MR = MC$
- ★ For every  $q < q_M^*$ 
  - ◆ The **increase in revenue** from producing an extra unit is **greater** than the **increase in cost**
  - ◆ The extra unit yields extra **profit**
- ★ For every  $q > q_M^*$ 
  - ◆ The **decrease in revenue** from producing a unit less is **lower** than the **decrease in cost**
  - ◆ Units over  $q_M^*$  result in **losses**.

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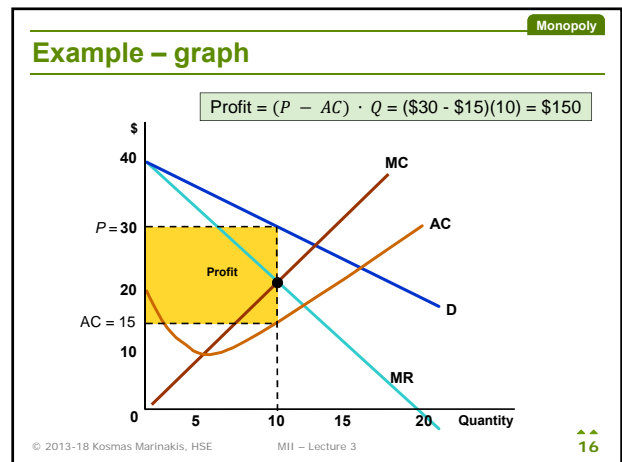


Monopoly

### \*Example: monopoly equilibrium

- ★ Suppose that **cost** is  $C(Q) = 50 + Q^2$  and **demand** is  $p = 40 - Q$
- ★ Marginal cost
 
$$MC = dC/dQ = 2Q$$
- ★ Revenue
 
$$R = p \cdot Q = 40Q - Q^2$$
- ★ Marginal revenue
 
$$MR = dR/dQ = 40 - 2Q$$
- ★ From  $MC = MR$  we can estimate that  $Q = 10$
- ★ From the demand we can calculate that  $p = 30$

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### A “rule-of-thumb” for pricing

- ★ The output for which  $MR = MC$  may be **impractical** for the monopolist to estimate
- ★ We can **transform** the profit maximization condition into a **rule of thumb** that can be more easily **applied** in practice.

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Rule of thumb

### MR manipulation

- ★ We have **previously** calculated the marginal revenue as
 
$$MR = \frac{dR}{dQ} = \frac{d(p \cdot Q)}{dQ} = p + Q \frac{dp}{dQ}$$
- ★ Let's **multiply** the last term with  $p/p$ 

$$MR = p + p \frac{Q}{p} \frac{dp}{dQ}$$
- ★ **Notice** that  $\frac{Q}{p} \frac{dp}{dQ} = \frac{1}{\epsilon_d}$ , thus
 
$$MR = p + \frac{p}{\epsilon_d} \Rightarrow MR = p \left( 1 + \frac{1}{\epsilon_d} \right)$$

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## MR = MC condition manipulation

- ★ We know that the profit is maximized when  $MC = MR$
- ★ The profit maximization condition **can be written as**

$$MC = p \left( 1 + \frac{1}{\varepsilon_d} \right)$$

- ★ Which can be **manipulated** to yield

$$p - MC = p - p \left( 1 + \frac{1}{\varepsilon_d} \right) \Rightarrow p - MC = p \left( -\frac{1}{\varepsilon_d} \right)$$

- ★ And some more

$$\frac{p - MC}{p} = \frac{1}{p} p \left( -\frac{1}{\varepsilon_d} \right) \Rightarrow \frac{p - MC}{p} = -\frac{1}{\varepsilon_d}$$

## The rule-of-thumb

$$\frac{p - MC}{p} = -\frac{1}{\varepsilon_d}$$

- ★ The LHS is the **profit margin** as a percentage of  $p$   
profit is **maximized when** the profit margin is set equal to the inverse of the elasticity of demand
- ★ You can **easily prove** with simple algebra that

$$p = MC \cdot \left( 1 - \frac{1}{\varepsilon_d + 1} \right)$$

- ★ The **green** fraction in the parenthesis is the **markup**  
how much you should **mark your cost up** in order to maximize your profit **depends** on  $\varepsilon_d$ .

## \*Example

- ★ If  $\varepsilon_d = -4$  and  $MC = 9$
- ★ The **profit margin** is  $-\frac{1}{-4} = 25\%$
- ★ Or you can calculate the **markup** as  $-\frac{1}{-4+1} = 33.3\%$
- ★ **Price** will be  $p = MC(1 + \text{markup}) = 9 \cdot 1.3 = 12$
- ★ Thus, from the total price of 12, the 25% is **profit**.

## Pricing: monopoly vs. PC

- ★ Monopoly

$$p > MC$$

price exceeds MC by an amount that depends inversely on the **elasticity** of demand

- ★ Perfect Competition

$$p = MC$$

demand for the firm is **perfectly elastic** at  $p = MC$ .

## Monopoly and elasticity

- ★ If  $|\varepsilon_d| > 1$  for the entire range of demand, there is **little benefit** to being a monopolist  
the larger the elasticity, the closer to a perfectly competitive market
- ★ However, a monopolist will never **limit production** at the **inelastic portion** of demand curve ( $|\varepsilon_d| < 1$ )
- ★ At the inelastic portion

$$\frac{dQ}{Q} < \frac{dp}{p}$$

the monopolist, can **increase revenue** by increasing  $p$  and decreasing  $q$  (and also cost), till  $|\varepsilon_d|$  exceeds 1.

Thank you!



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