

Lecture 5

Strategic Competition



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Previously in E&S

- ★ Monopoly
- ★ Supply curve in monopoly
- ★ Market power
- ★ Market efficiency ▶
consumer surplus, producer surplus, DWL
- ★ Taxation ▶
PC & Monopoly
- ★ Case: Market of human kidneys ▶

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Modeling real markets

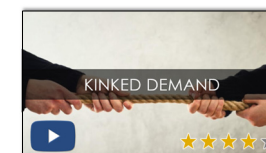
- ★ There are **no perfectly competitive** markets out there
- ★ There are **no pure monopolies**, either
- ★ Then, **why** do we consider such models? ▶

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> Oligopoly

Assumptions

1. **Small number of firms:**
 - ▶ The number of firms is low enough, so that interaction is **possible** and **meaningful**
 - ▶ Every firm needs to **consider** other firms' actions.
2. **Homogeneous** product:
 - ▶ **Market power** results from the small number of firms, NOT from product differentiation
3. **Barriers** to entry:
 - ▶ Firms are large and can **create barriers** to maintain their **S-R profits** in the **L-R**
 - ▶ Threatening **price wars**, excess **capacity**, excessive **advertisement**, **proliferation**.

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> Oligopoly

Strategic game

- ★ The **key-characteristic** of oligopoly is **interaction**
we cannot think of firms' actions **independently**, anymore
- ★ In all other market structures, every firm is simply **doing its best**
no matter what **other firms** do
- ★ In oligopoly, any action will **affect the rivals** causing them to **answer**
every firm's **outcome** is **affected** by its actions but also its **rivals' actions**
- ★ Therefore, actions in oligopoly are **strategic**

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> Oligopoly

Examples of oligopolistic markets

- ★ Middle-high class **sedans**
BMW, Mercedes, Audi, Volvo
- ★ High-end **smartphones**
iPhone, Galaxy, Huawei
- ★ Web based **email**
Hotmail, Gmail, Yahoo

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Competition with respect to what?

> Oligopoly

- ★ Firms have to choose in **which field** they will compete:
 - ▶ Apple and Samsung are competing with respect to
 - ▶ BMW and Benz are competing with respect to
 - ▶ Coke and Pepsi are competing with respect to
 - ▶ DKNY and Calvin Klein compete with respect to
 - ▶ Firefox and Chrome compete with respect to
 - ▶ SMU and NUS compete with respect to
 - ▶ Oil producing nations are competing with respect to
 - ▶ Supermarkets compete with respect to

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Oligopoly models

> Oligopoly

- ★ **Cournot:** Competition with respect to quantities
the choice variable of the firm is the **quantity**
- ★ **Bertrand:** Competition with respect to prices
the choice variable of the firm is the **price**
- ★ **Collusion:** Firms cooperate and act as if they were a monopoly
- ★ **Kinked demand model:** Firms are reluctant to reduce prices. . .

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The Cournot duopoly (1838)

> Oligopoly > Cournot markets

- ★ Two **identical** and **symmetric** firms produce a **homogeneous** good
firm 1 & firm 2
- ★ For both sellers, $FC = 0$ and $MC = \$10$
- ★ The **market demand** is
$$p = 130 - Q$$
where $Q = q_1 + q_2$
- ★ Firms decide **how much** to produce:
 1. Separately
 2. Simultaneously
 3. Irrevocably. . .

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MR for firm 1

> Oligopoly > Cournot markets

- ★ The market demand **can be written** as

$$p = 130 - q_1 - q_2$$

- ★ In this demand function, firm 1 can **control** q_1 but sees 130 and q_2 as **constant**

- ★ Thus, demand **as seen by firm 1** is

$$p = (130 - q_2) - q_1$$

constant
gradient

- ★ Thus, **marginal revenue** for firm 1 is

$$MR_1 = (130 - q_2) - 2q_1$$

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Optimal choice of output

> Oligopoly > Cournot markets

- ★ Profit maximization for firm 1 implies:

$$MR_1 = MC \text{ or } (130 - q_2) - 2q_1 = 10 \text{ or } q_1 = \frac{120 - q_2}{2} \quad (1)$$

- ★ **Equation (1)** is called firm's 1 "**best response**" or "**optimal reaction**" function because it yields the profit maximizing q_1 for every q_2 that firm 2 may choose

- ★ Firm 2 responds **symmetrically** to firm 1:

$$q_2 = \frac{120 - q_1}{2} \quad (2)$$

- ★ Since both firms are **identical**, in the end $q_1 = q_2$, so we can write (1) as:

$$q_1 = \frac{120 - q_1}{2} \text{ or } 2q_1 = 120 - q_1 \text{ or } q_1 = q_2 = 40$$

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Price & profits

> Oligopoly > Cournot markets

- ★ Price in **Cournot**: $p = 130 - q_1 - q_2 = 130 - 40 - 40$ or $p = \$50$

- ★ Profit per firm: $\Pi_1 = (p - c)q_1 = (\$50 - \$10)40$ or $\Pi_1 = \Pi_2 = \$1,600$

- ★ If both firms **acted as PC competitors**:

$$D = S \text{ or } 130 - Q = 10 \text{ or } Q = 120 \text{ or } q_1 = q_2 = 60.$$

$$\text{Price: } p = 130 - q_1 - q_2 = 130 - 60 - 60 \text{ or } p = \$10$$

$$\text{Profit per firm: } \Pi_1 = (p - c)q_1 = (\$10 - \$10)60 \text{ or } \Pi_1 = \Pi_2 = \$0.$$

- ★ If firms **collude** and behave as a **monopoly**:

$$MR = MC \text{ or } 130 - 2Q = 10 \text{ or } Q = 60 \text{ or } q_1 = q_2 = 30.$$

$$\text{Price: } p = 130 - q_1 - q_2 = 130 - 30 - 30 \text{ or } p = \$70.$$

$$\text{Profit per firm: } \Pi_1 = (p - c)q_1 = (\$70 - \$10)30 \text{ or } \Pi_1 = \Pi_2 = \$1,800.$$

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Comparing models

> Oligopoly > Cournot markets

	Price	Quantity per firm	Profit per firm
PC	\$10	60	\$0
Cournot	\$50	40	\$1,600
Collusion	\$70	30	\$1,800

- ★ Price, quantity and profit of Cournot are **between** PC and Monopoly

- ★ The **most profitable outcome** for firms is to **collude** by setting $q = 30$.

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Incentive for cheating !

> Oligopoly > Cournot markets

	Price	Quantity per firm	Profit per firm
PC	\$10	60	\$0
Cournot	\$50	40	\$1,600
Collusion	\$70	30	\$1,800

- ★ Assume that **firm 1** sets $q_1 = 30$ and **expects firm 2** to also produce $q_2 = 30$:
 - ▶ **Firm 2** can produce $q_2 = 30$ and each firm earn **profit** \$1,800
 - ▶ OR **firm 2** can produce $q_2 = (120 - q_1)/2 = (120 - 30)/2 = 45$.
- ★ If $q_2 = 45$, **price** will be: $p = 130 - q_1 - q_2 = 130 - 30 - 45 = \55 :
 - ▶ Profit for **firm 2**: $\Pi_2 = (p - c)q_2 = (\$55 - \$10)45$ or $\Pi_2 = \$$
 - ▶ Profit for **firm 1**: $\Pi_1 = (p - c)q_1 = (\$55 - \$10)30$ or $\Pi_1 = \$$
- ★ Each firm has a strong **incentive to cheat** hurting the other firm without **commitment mechanism**, collusion is **not sustainable**.

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Bertrand competition (1883)

> Oligopoly > Bertrand markets

- ★ Two **identical** and **symmetric** firms produce a **homogeneous** good
firm 1 & firm 2
- ★ For both sellers, $FC = 0$ and $MC = \$10$
- ★ The **market demand** is

$$p = 130 - Q$$
 where $Q = q_1 + q_2$
- ★ Firms separately, simultaneously, and irrevocably choose **prices**
- ★ Since the good is **homogeneous**, consumers buy from **cheapest** seller:
 - ▶ The **cheapest** seller serves the **entire** demand
 - ▶ If $p_1 = p_2$, firms **share** the demand as in Cournot ($p = 130 - q_1 - q_2$).

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Bertrand equilibrium

> Oligopoly > Bertrand markets

- ★ If **firm 1** charges any $p_1 > \$10$
firm 2 would want to
- ★ If **firm 1** charges any $p_1 < \$10$
firm 2 would
- ★ If **firm 1** charges $p_1 = \$10$
firm 2 would
- ★ The Bertrand **equilibrium** is $p_1^* = p_2^* = MC$
firms end up producing the **PC output** and earning **PC profit**.

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The Bertrand paradox

> Oligopoly > Bertrand markets

- ★ The Bertrand equilibrium is **paradoxical**
firms are supposed to have **market power** but **behave as if they do not have**
- ★ This happens **because** even a **minuscule price-cut** will change the firms' **market shares dramatically**
- ★ There are 3 **major ways** to **resolve** this paradox:
 1. **Capacity constraints**: if the cheaper firm does not have the **capacity** to serve the entire market alone, its rival can profit from exploiting the **residual** customers
 2. **Repeated interaction**: the **benefit from cheating** is **high** but **for only one** period – the **benefit from collusion** is **lower** but for **more periods**
 3. **Differentiation**: when a firm's product is perceived as **better** by its customers, they **will not abandon** it if a rival undercuts the price. ^

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External video

In this Al Jazeera Video, watch how Russia and Saudi Arabia found themselves amid a harsh price war during one of the worst economic downturns of the last century. Try to figure out what kind of game petroleum is: Cournot or Bertrand?



Oil price war: Analysts expect prices to drop further
Al Jazeera English • 92K views • 2 months ago
Top energy officials in the US and Russia will meet to tackle an historic collapse in global oil markets. The meeting comes after a ...

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Thank you!

(you are welcomed to stay for consultation or discussion)

! WARNING! !

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